

PLEASE DO NOT WRITE OR MAKE ANY MARKS ON THIS FORMULA SHEET

Finite Mathematics Formula Sheet

$$I = PVrt \qquad FV = PV(I + rt) \qquad PV = \frac{FV}{1 + rt} \qquad I = FV - PV$$

$$FV = PV\left(1 + \frac{r}{m}\right)^{mt} = PV(I + i)^n \qquad i = \frac{r}{m} \qquad n = m \cdot t \qquad FV = PVe^{rt}$$

$$APY = r_E = \left(1 + \frac{r}{m}\right)^m - 1 \qquad PV = \frac{FV}{(1+i)^n} \text{ or } PV = FV(I + i)^{-n}$$

$$FV = PMT \left[\frac{\left(\left(1 + \frac{r}{m}\right)^{(m \cdot t)} - 1 \right)}{\left(\frac{r}{m}\right)} \right] = PMT \left[\frac{\left((1+i)^n - 1 \right)}{i} \right] \qquad PMT = FV \frac{\left(\frac{r}{m}\right)}{\left(\left(1 + \frac{r}{m}\right)^{(m \cdot t)} - 1 \right)} = FV \frac{i}{\left((1+i)^n - 1 \right)}$$

$$PV = PMT \left[\frac{\left(1 - \left(1 + \frac{r}{m}\right)^{-(m \cdot t)} \right)}{\left(\frac{r}{m}\right)} \right] = PMT \left[\frac{\left(1 - (1+i)^{-n} \right)}{i} \right] \qquad PMT = PV \frac{\left(\frac{r}{m}\right)}{\left(1 - \left(1 + \frac{r}{m}\right)^{-(m \cdot t)} \right)} = PV \left[\frac{i}{\left(1 - (1+i)^{-n} \right)} \right]$$

$$n(A \cup B) = n(A) + n(B) - n(A \cap B) \qquad P(E) = \frac{n(E)}{n(S)}$$

$$P(E \cup F) = P(E) + P(F) - P(E \cap F) \qquad P(E) = 1 - P(E') \quad \text{and} \quad P(E') = 1 - P(E)$$

$$O(E) = \frac{P(E)}{P(E')}, \quad P(E') \neq 0 \qquad P(E) = \frac{m}{m+n} \quad \text{and} \quad P(E') = \frac{n}{m+n} \quad \text{when } O(E) = \frac{m}{n}$$

$$P(E | F) = \frac{P(E \cap F)}{P(F)}, \quad \text{where } P(F) \neq 0 \qquad P(E \cap F) = P(F) \cdot P(E | F) \quad \text{or} \quad P(E \cap F) = P(E) \cdot P(F | E)$$

$$P(F | E) = \frac{P(F) \cdot P(E | F)}{P(F) \cdot P(E | F) + P(F') \cdot P(E | F')}$$

$$P(F_1 | E) = \frac{P(F_1) \cdot P(E | F_1)}{P(F_1) \cdot P(E | F_1) + P(F_2) \cdot P(E | F_2) + \dots + P(F_n) \cdot P(E | F_n)}$$

$$E(x) = x_1p_1 + x_2p_2 + x_3p_3 + \dots + x_np_n$$

$$E(x) = np$$

$$n! = n(n-1)(n-2)\dots(3)(2)(1) \quad 0! = 1$$

$${}_nP_r = P(n, r) = \frac{n!}{(n-r)!}$$

$$\frac{n!}{n_1!n_2!\dots n_r!}$$

$${}_nC_r = C(n, r) = \frac{n!}{r!(n-r)!}$$

$$P(x) = {}_nC_x p^x (1-p)^{n-x}$$

$$\mu = \bar{x} = \frac{\sum x}{n}$$

$$\sigma = \sqrt{\frac{\sum(x^2) - n(\bar{x}^2)}{n}} = \sqrt{\frac{\sum(x-\mu)^2}{n}}$$

$$s = \sqrt{\frac{\sum(x^2) - n(\bar{x}^2)}{n-1}} = \sqrt{\frac{\sum(x-\bar{x})^2}{n-1}}$$

$$\mu = \bar{x} = \frac{\sum(xf)}{n}$$

$$\sigma = \sqrt{\frac{\sum(fx^2) - n(\bar{x}^2)}{n}} = \sqrt{\frac{\sum(x-\mu)^2 \cdot f}{n}}$$

$$s = \sqrt{\frac{\sum(f \cdot x^2) - n \cdot (\bar{x}^2)}{(n-1)}} = \sqrt{\frac{\sum[(x-\bar{x})^2 \cdot f]}{(n-1)}}$$

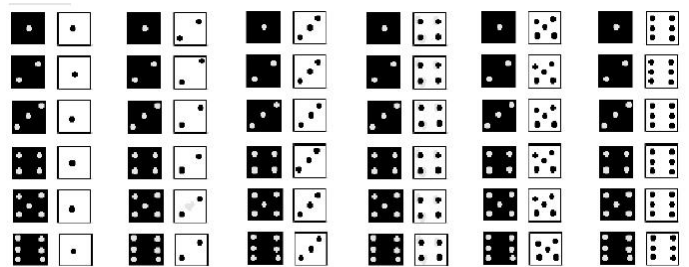
$$z = \frac{x-\mu}{\sigma}$$

$$\mu = np$$

$$\sigma = \sqrt{np(1-p)}$$

			1		
		1	1		
	1	2	1		
	1	3	3	1	
	1	4	6	4	1
1	5	10	10	5	1
⋮	⋮	⋮	⋮	⋮	⋮

Outcomes of Rolling Two Dice (1 black, 1 white)



- A standard deck of cards has a total of 52 cards.
- The cards are divided into four suits: clubs, diamonds, hearts, and spades.
- Clubs and spades are black; diamonds and hearts are red.
- Each suit has 13 cards: Ace, 2, 3, 4, 5, 6, 7, 8, 9, 10, jack, queen, king.
- Jacks, queens, and kings are called face cards.

Clubs	A♣	2♣	3♣	4♣	5♣	6♣	7♣	8♣	9♣	10♣	J♣	Q♣	K♣
Diamonds	A♦	2♦	3♦	4♦	5♦	6♦	7♦	8♦	9♦	10♦	J♦	Q♦	K♦
Hearts	A♥	2♥	3♥	4♥	5♥	6♥	7♥	8♥	9♥	10♥	J♥	Q♥	K♥
Spades	A♠	2♠	3♠	4♠	5♠	6♠	7♠	8♠	9♠	10♠	J♠	Q♠	K♠